

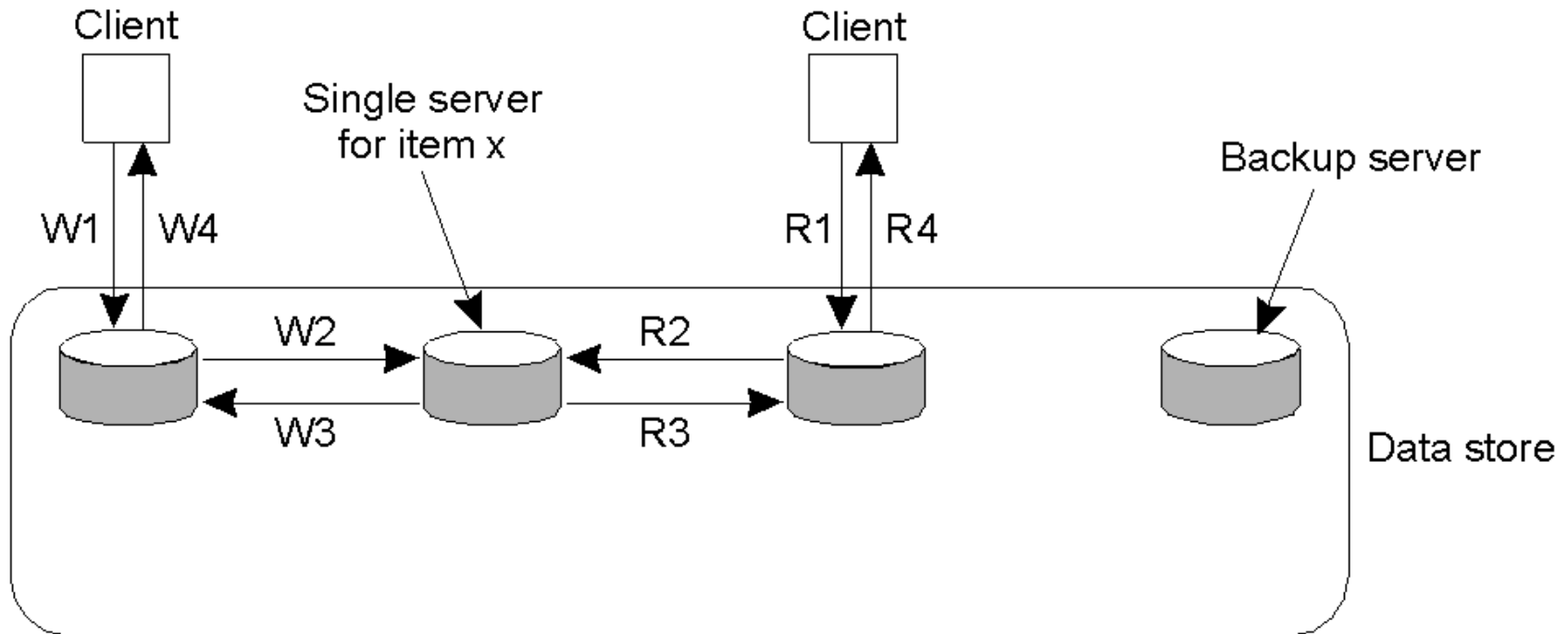
Agenda

- Consistency protocols
- Clocks, logical clocks, state vectors
- Optimistic replication
 - CVS, Subversion
 - Duplicated databases

Consistency protocols

- Describe implementation of a specific consistency model
- Primary-based protocols
 - Each data item x has an associated primary responsible for coordinating write operations on x
 - Remote-write protocols
 - Local-write protocols
- Replicated-write protocols
 - Write operations can be carried out at multiple replicas
 - Active replication
 - Quorum-based protocols

Remote-Write Protocols (1)



W1. Write request

W2. Forward request to server for x

W3. Acknowledge write completed

W4. Acknowledge write completed

R1. Read request

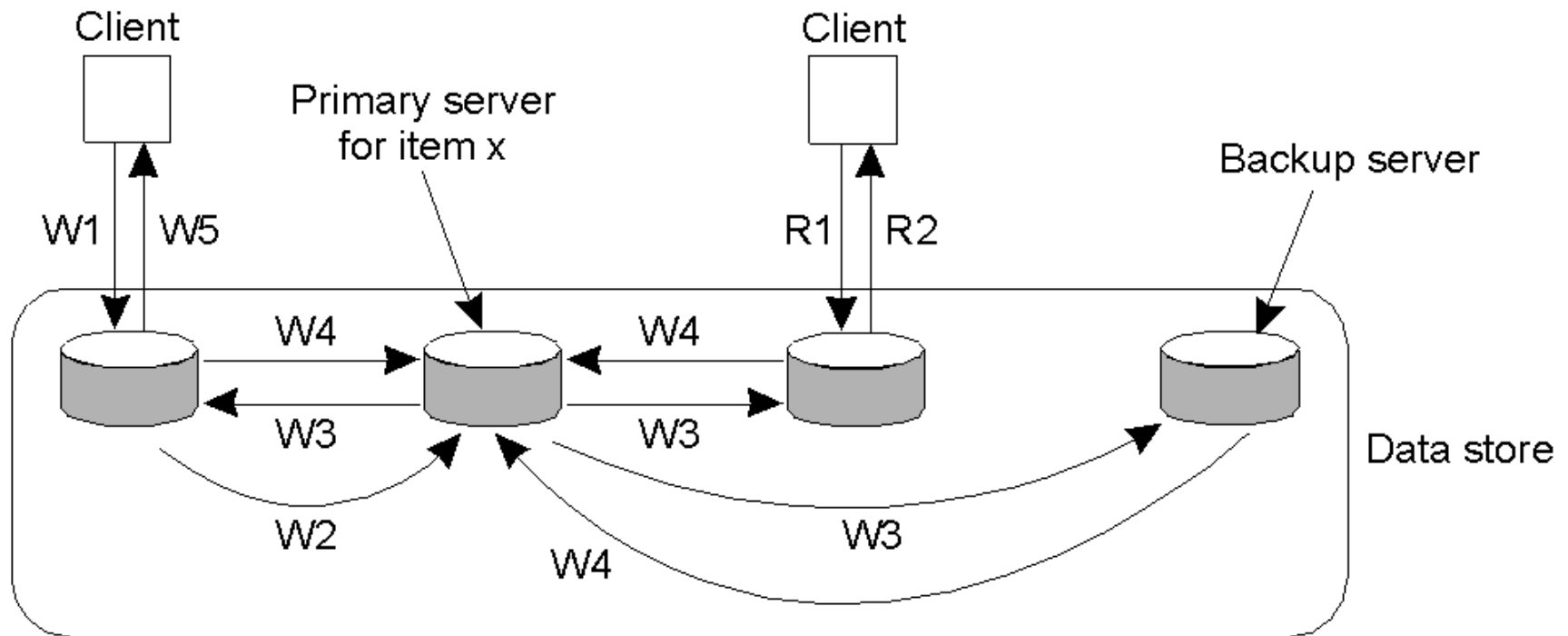
R2. Forward request to server for x

R3. Return response

R4. Return response

- Primary-based remote-write protocol with a fixed server to which all read and write operations are forwarded.

Remote-Write Protocols (2)



W1. Write request
W2. Forward request to primary
W3. Tell backups to update
W4. Acknowledge update
W5. Acknowledge write completed

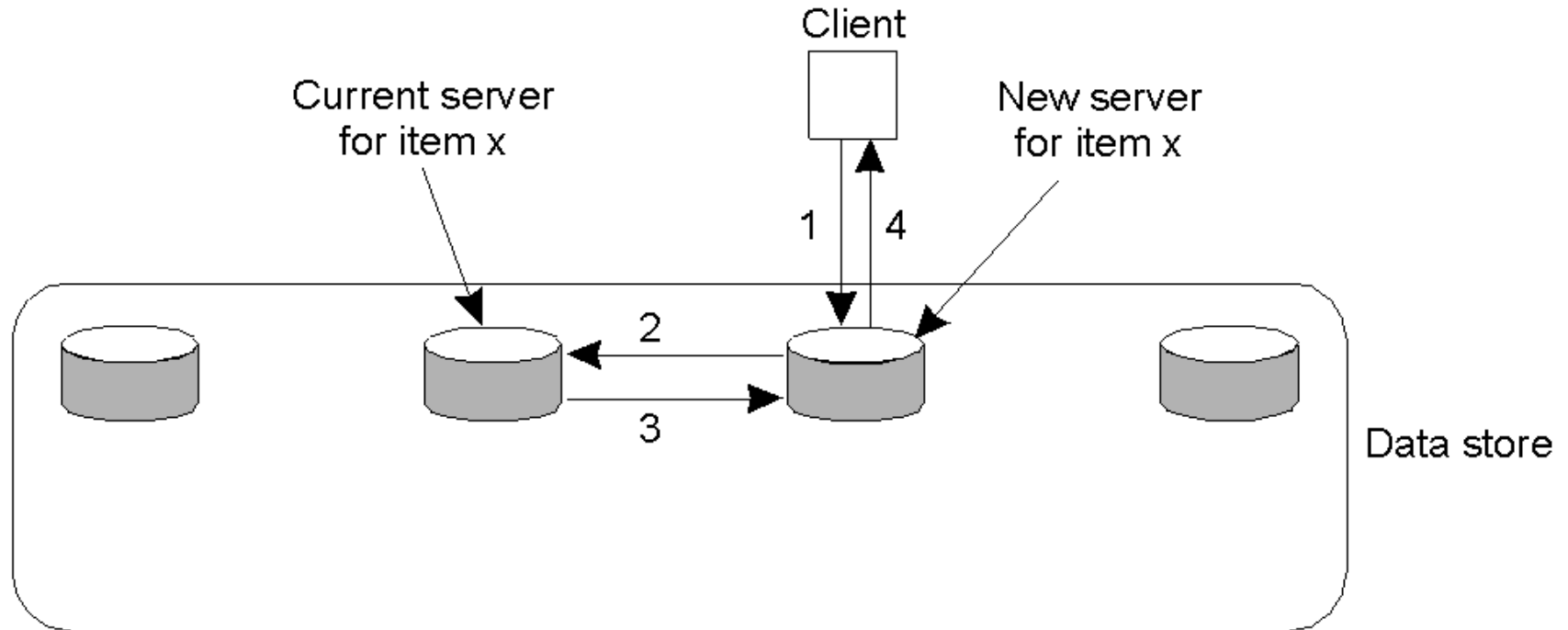
R1. Read request
R2. Response to read

- **The principle of primary-backup protocol.**

Remote-Write Protocols (3)

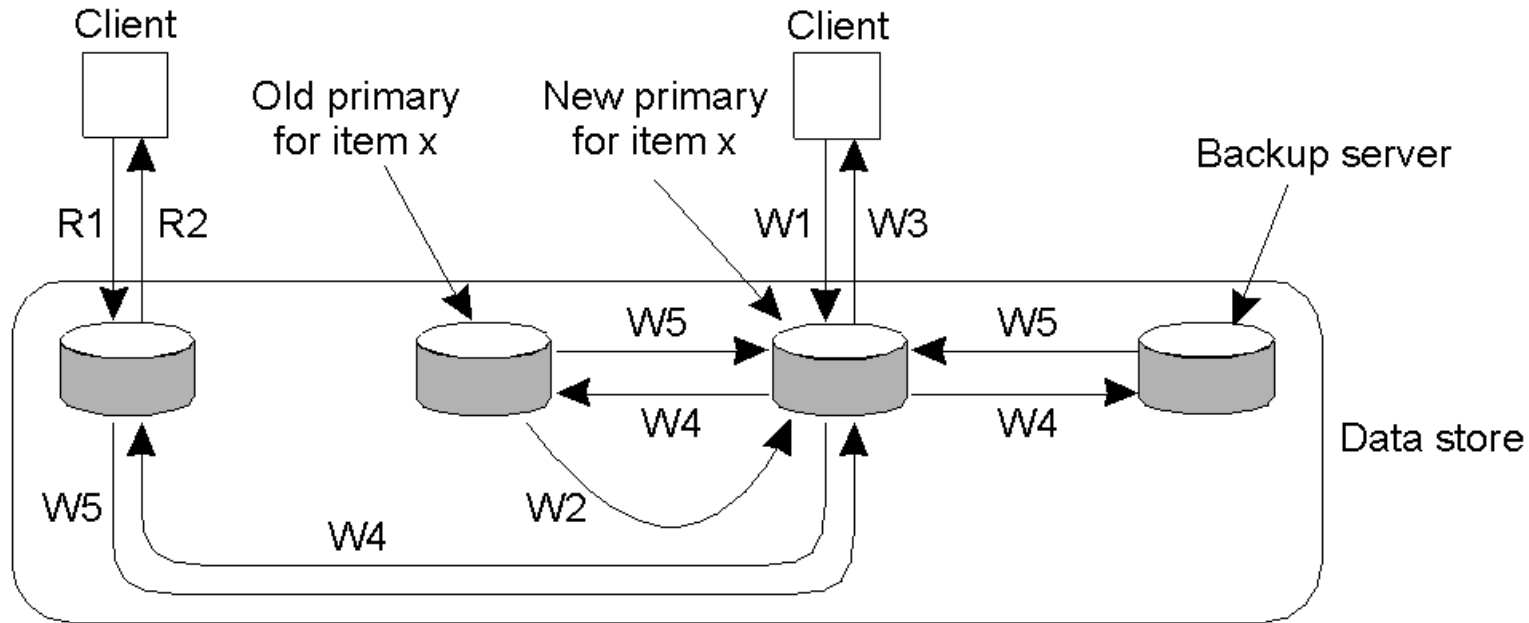
- Primary-backup protocol implements update as a blocking operation
- Alternative solution: non-blocking protocol
 - As soon as primary updated the local copy of x, it returns an acknowledgement
 - After that ask backup servers to perform the update
 - Fault tolerance concerns
- Implementation of sequential consistency

Local-Write Protocols (1)



1. Read or write request
 2. Forward request to current server for x
 3. Move item x to client's server
 4. Return result of operation on client's server
- Primary-based local-write protocol in which a single copy is migrated between processes
 - Disadvantage: keeping track where each data item currently is

Local-Write Protocols (2)



W1. Write request

W2. Move item x to new primary

W3. Acknowledge write completed

W4. Tell backups to update

W5. Acknowledge update

R1. Read request

R2. Response to read

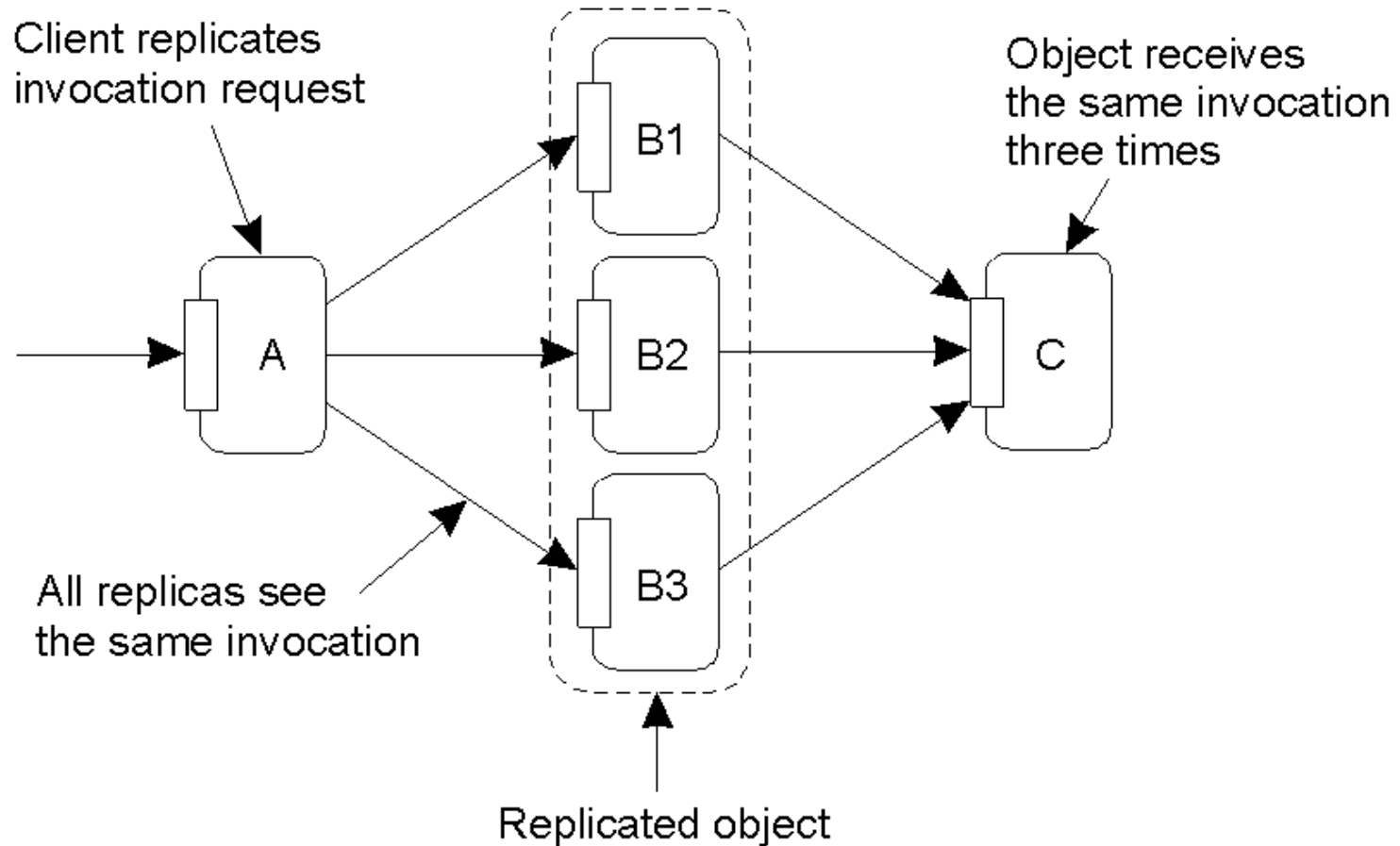
- Primary-backup protocol in which the primary migrates to the process wanting to perform an update
- Advantage if nonblocking protocol: write operations carried locally, while reading can access local copies
- Protocol suitable for mobile computers

Replicated write protocols

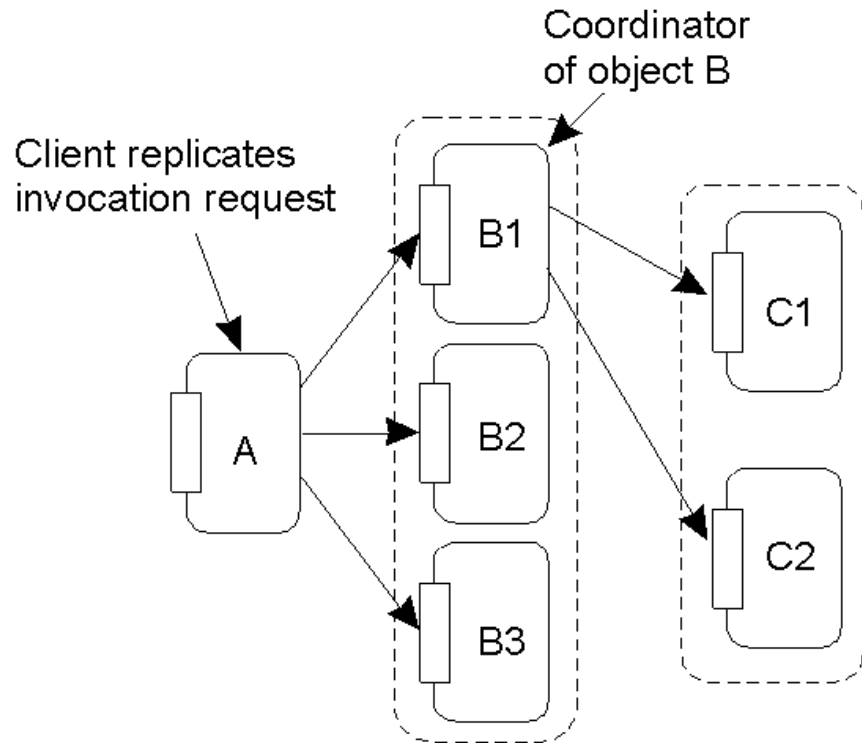
Active Replication (1)

- Operations sent to each replica
- Operations have to be carried out in the same order everywhere
 - Need of totally-ordered multicast
 - Using Lamport timestamps
 - Using a central coordinator called sequencer
- Deal with replicated invocations

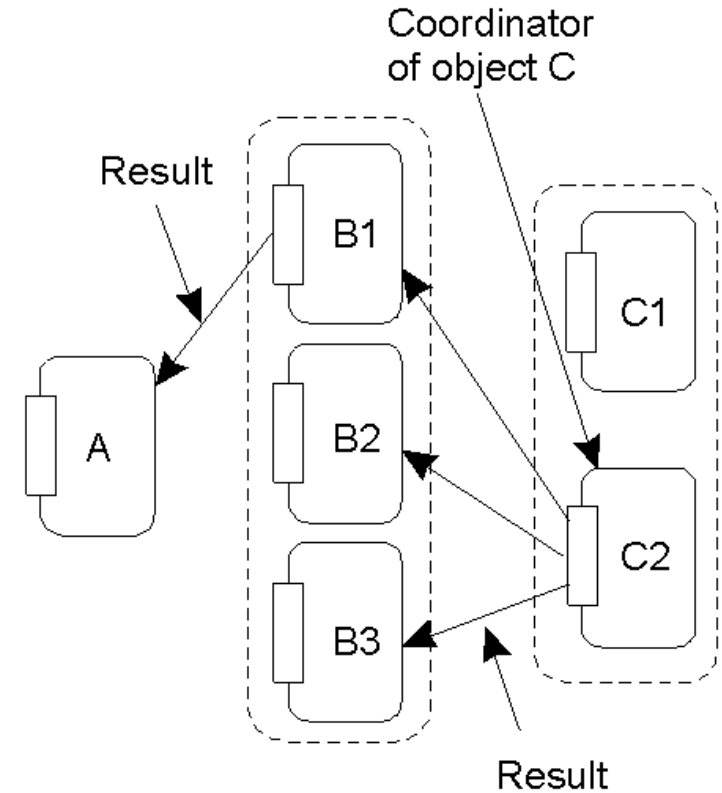
Active Replication (2)



Active Replication (3)



(a)



(b)

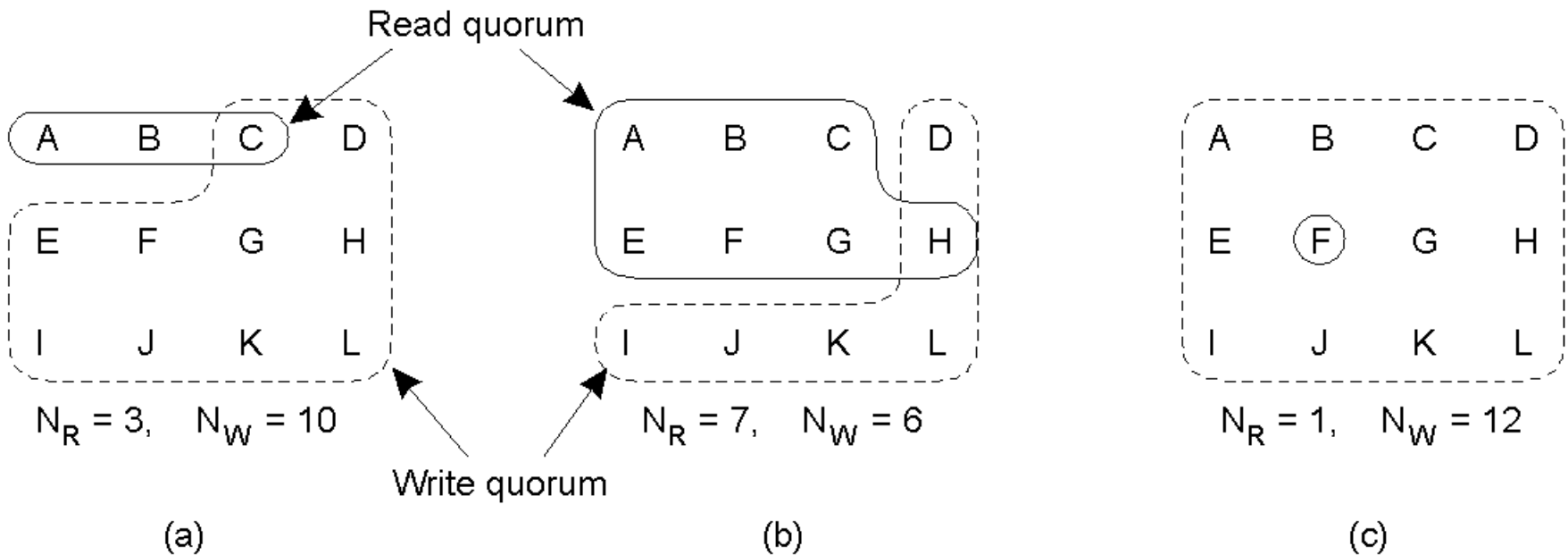
Quorum-Based Protocols (1)

- Use voting: clients request and acquire permission of multiple servers before reading/writing a replicated object
- Example distributed file system
 - File replicated on N servers
 - For an update a client must contact a majority of servers ($\text{half} + 1$)
 - If agreement file changed and version number updated
 - For a read a client must contact at least half of servers + 1 and ask them to send version numbers of the file
 - Choose the most recent version

Quorum-Based Protocols (2) -Gifford scheme

- A file with N replicas
- A read quorum (N_R servers) for reading the file
- A write quorum (N_W servers) for modifying the file
- $N_R + N_W > N$
- $N_W > N/2$

Quorum-Based Protocols (3)



- a) A correct choice of read and write set
- b) A choice that may lead to write-write conflicts
- c) A correct choice, known as ROWA (read one, write all)

Pessimistic vs. optimistic replication (1)

- Pessimistic replication
 - Give the illusion of one replica (no divergence)
 - Block access to a replica unless it is up-to-date
 - Example: primary-copy algorithms
 - Elect a primary replica
 - After an update primary writes the change to secondary replicas
 - If primary crashes elect a new replica
 - Bad performance and availability

Pessimistic vs. optimistic replication (2)

- Optimistic replication
 - Allows replicas to diverge
 - Commit modifications immediately and propagate later
 - Observers can see different values on different sites
 - Eventual consistency
 - Mandatory for offline access
 - Better scaling

Eventual Consistency

- **Eventual delivery:** An update executed at some correct replica eventually executes at all correct replicas
- **Termination:** All update executions terminate
- **Convergence:** Correct replicas that have executed the same updates eventually reach equivalent state (and stay)
- Consensus moved to the background

Strong Eventual Consistency

- **Eventual delivery:** An update executed at some correct replica eventually executes at all correct replicas
- **Termination:** All update executions terminate
- **Strong convergence:** Correct replicas that have executed the same updates **have** equivalent states
- No consensus in background, no need to rollback

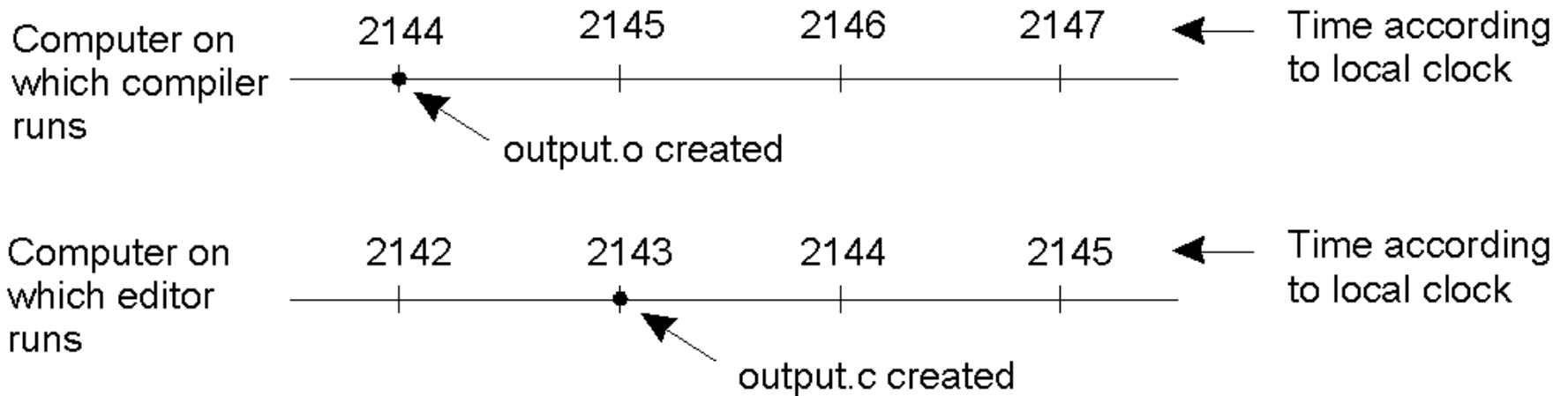
Pessimistic vs. optimistic replication (3)

- Basic principles of optimistic replication
 - N sites replicate an object
 - An object is modified by applying an operation
 - Local operations applied immediately
 - Operations broadcast to the other sites
 - Remote operations integrated and executed
 - System is correct if when it is idle all replicas are identical

Clock Synchronisation

- Time is unambiguous in a centralised system
- There is no global agreement on time in a distributed system
- Example
 - Program consisting of 100 files
 - Use of *make* to recompile only changed source files
 - If input.c has time 2151 and input.o has time 2150, then recompilation needed

Clock Synchronization



- make does not call the compiler

Logical clock

- Sufficient that all machines agree on the same time (not necessarily real time)
- Lamport 1978 – rather than agreeing on what time it is, sufficient to agree on the order in which events occur
- Previous example: if input.c is older or newer than input.o

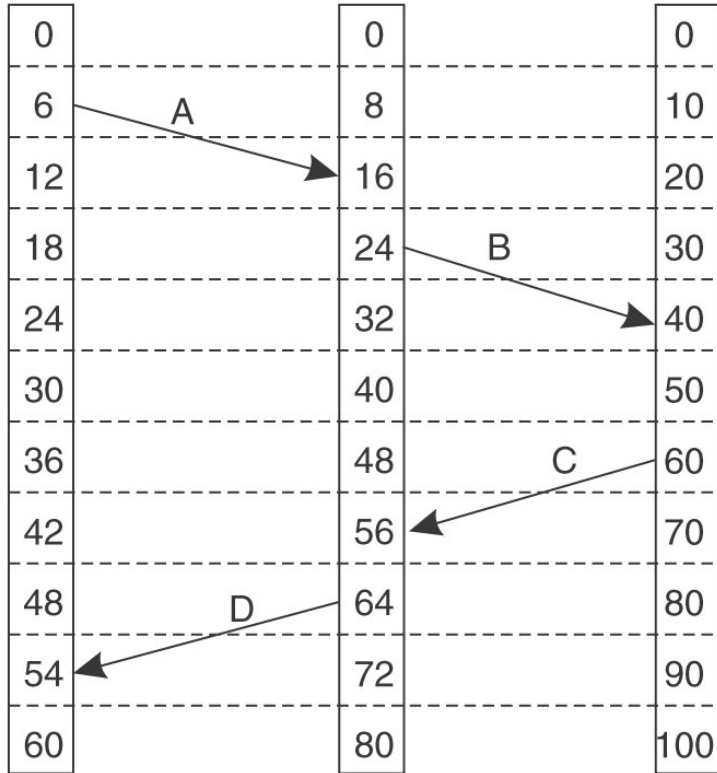
Lamport timestamps

- Happens-before relation
- $a \rightarrow b$ (a happens before b)
- Two situations:
 - If a and b are events in the same process and a occurs before b , then $a \rightarrow b$
 - If a is the event of a message being sent by one process and b is the event of the message being received by another process, then $a \rightarrow b$. A message cannot be received before or at the same time it is sent
- If $a \rightarrow b$ and $b \rightarrow c$ then $a \rightarrow c$
- If neither $a \rightarrow b$ nor $b \rightarrow a$ then a is concurrent with b

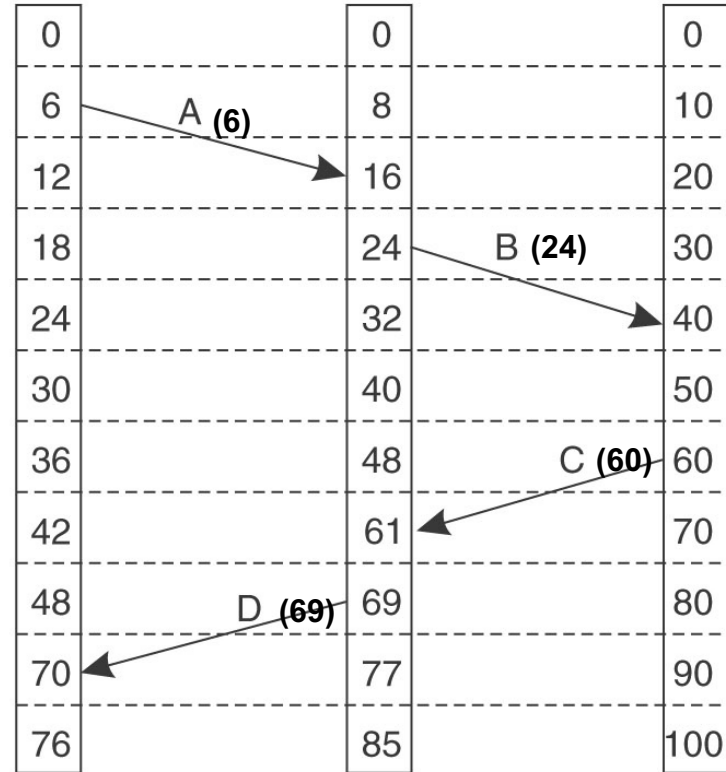
Lamport timestamps

- For every event a assign $C(a)$ on which all processes agree
- If $a \rightarrow b$ then $C(a) < C(b)$
- Clock time must always increase
- Lamport solution
 - Each message carries the sending time
 - If receiver clock $<$ time of the arrived message, then receiver forwards its clock to $1 +$ sending time

Lamport timestamps



(a)



(b)

Lamport timestamps

- If a happens before b in the same process then $C(a) < C(b)$
- If a and b represent the sending and receiving of a message, $C(a) < C(b)$
- For all distinctive events a and b , $C(a) \neq C(b)$
 - Attach the number of the process to the lower order of the time
 - If a generated by process 1 at time 40 and b generated by process 2 at time 40, then $C(a) = 40.1$ and $C(b) = 40.2$

Vector timestamps

- Lamport timestamps limits
 - if $C(a) < C(b)$ does not imply that $a \rightarrow b$
 - $a \parallel b$ does not imply $C(a) = C(b)$
- Example: posting articles and reactions to posted articles
- Lamport timestamps do not capture causality
- Vector timestamps capture causality
 - If $VT(a) < VT(b)$, then a causally precedes b
 - Each process P_i maintains V_i
 - $V_i[i] =$ the no. of events that occurred so far at P_i
 - If $V_i[j] = k$ then P_i knows that k events occurred at P_j

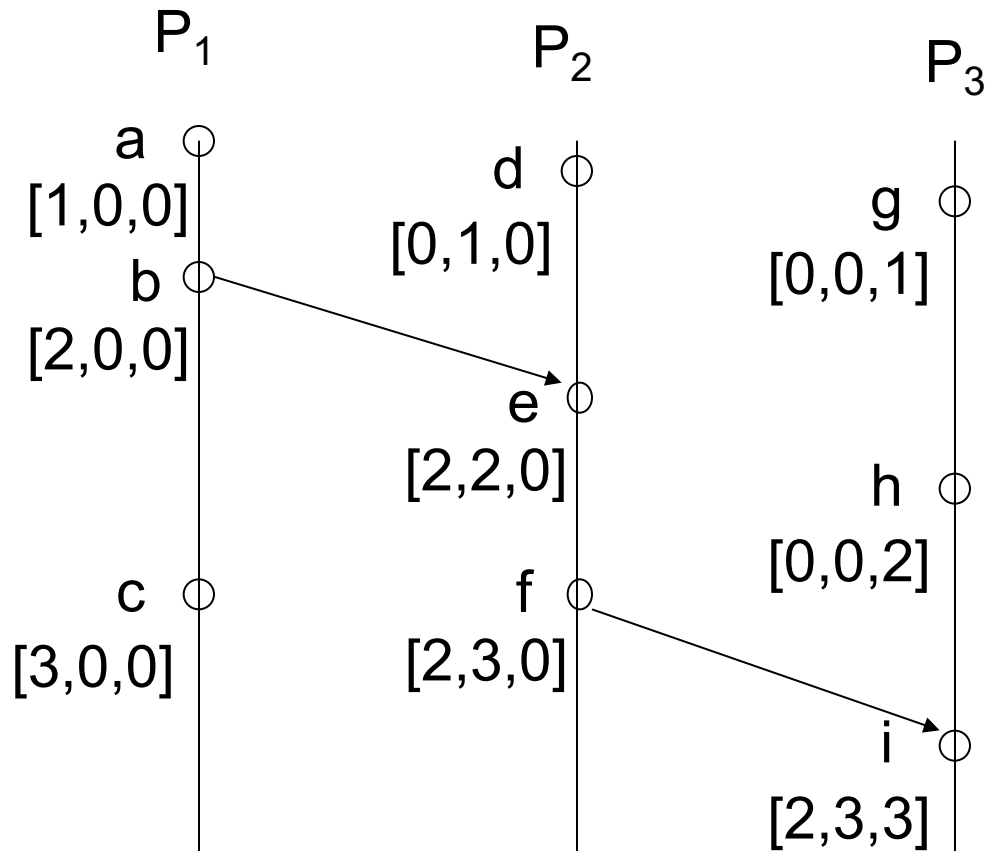
Vector timestamps

- Comparison of two vectors
 - $V=W$ iff $\forall i V[i]=W[i]$
 - $V<W$ iff for all $i V[i]\leq W[i]$ and $\exists i V[i]<W[i]$
 - $[1,2,0] < [3,2,1]$
 - $[0,1,1] \not< [1,0,1]$

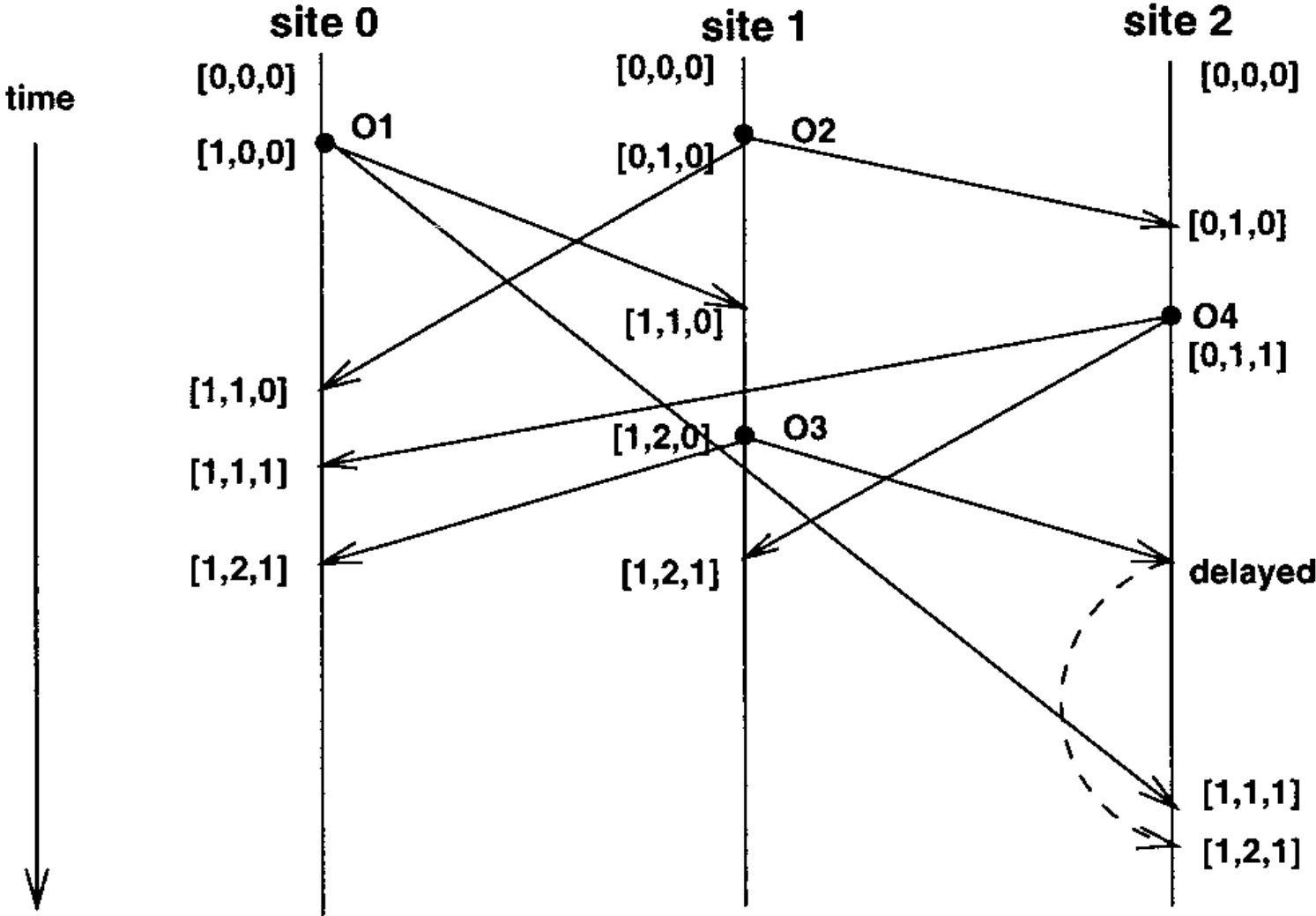
Vector timestamps – computation rules

- Process P_i
 - Initialisation: $\forall k V_i[k]=0$
 - Local event: $V_i[i]=V_i[i]+1$
 - Sending message m : $V_i[i]=V_i[i]+1$, then send (m, V_i)
 - Receiving message (m, V_j) :
 - $\forall k V_i[k]=\max(V_i[k], V_j[k])$
 - $V_i[i]=V_i[i]+1$

Vector timestamps – example



State vector



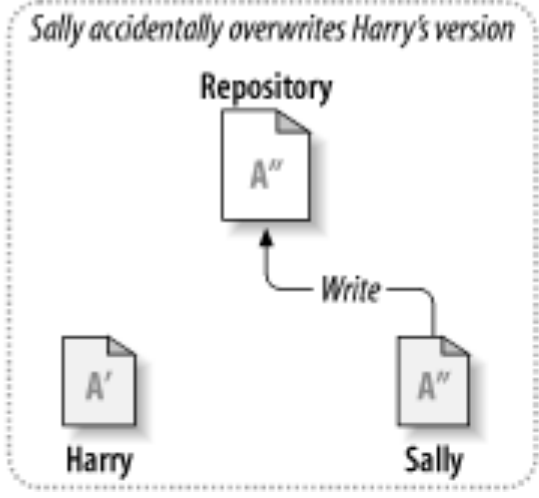
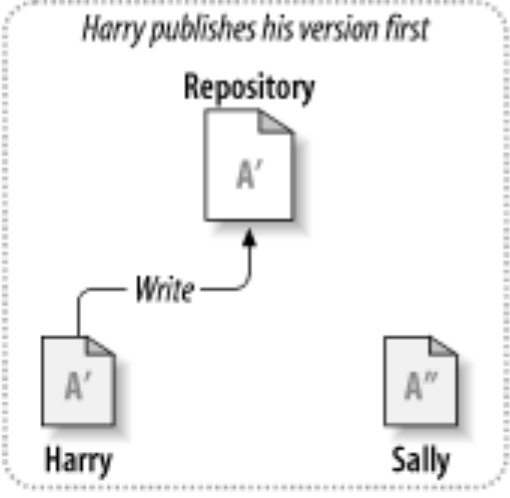
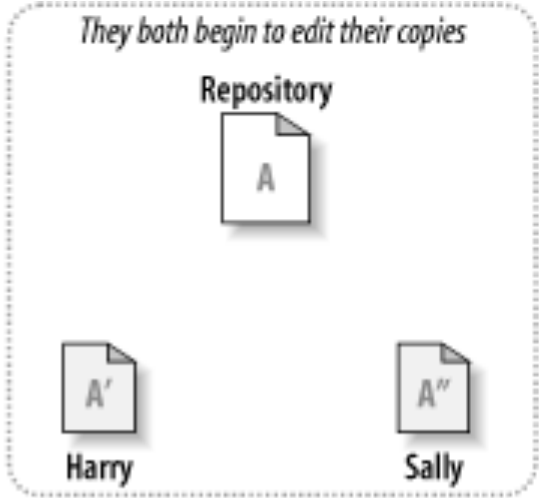
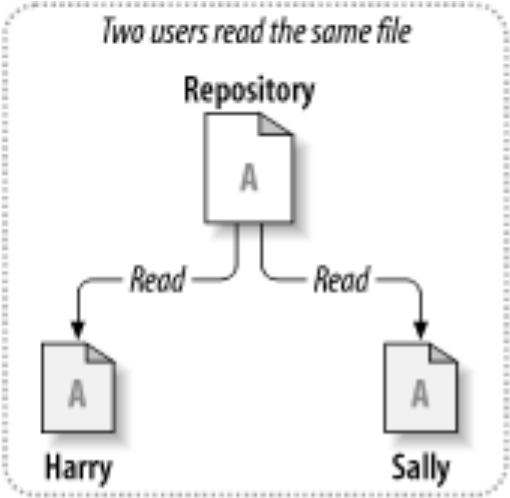
State vector based timestamping scheme

- State vector SV^k at site k
 - Initially $SV^k[i]=0, \forall i \in \{0, \dots, N-1\}$
 - Updating rule 1: after executing a local operation, $SV^k[k]=SV^k[k]+1$
 - After executing a local operation and updating SV^k , the local operation is timestamped with SV^k and broadcast to all remote sites
 - Updating rule 2: after executing a remote operation O with SV_O , $SV^k[i]=\max(SV^k[i], SV_O[i]), \forall i \in \{0, \dots, N-1\}$

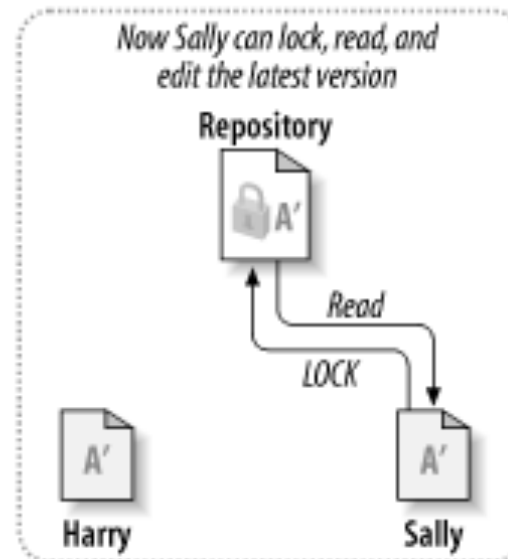
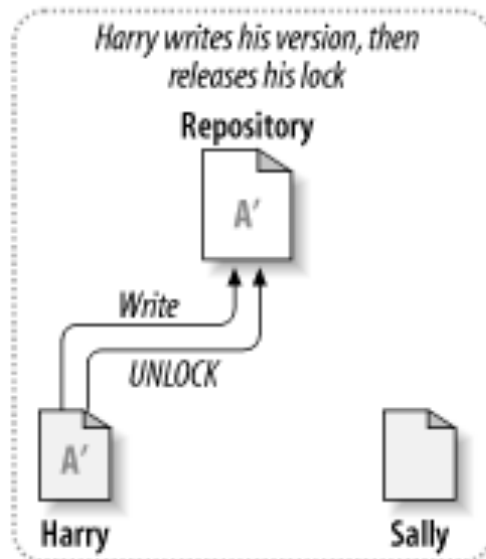
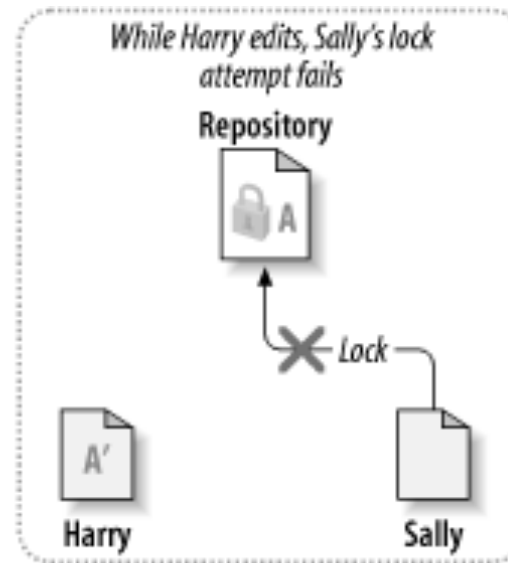
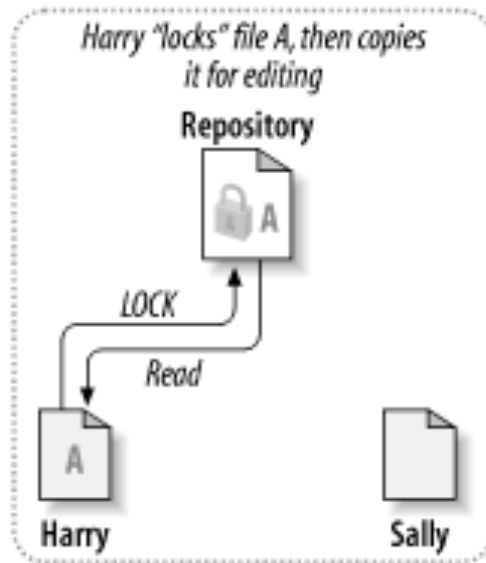
State vector: causality preservation

- O_i generated at site i and timestamped by SV_{O_i}
- O_i not allowed to be executed at site k ($k \neq i$) until:
 - $SV_{O_i}[i] = SV^k[i] + 1$
 - $SV_{O_i}[j] \leq SV^k[j], \forall j \in \{0, \dots, N-1\}, j \neq i$

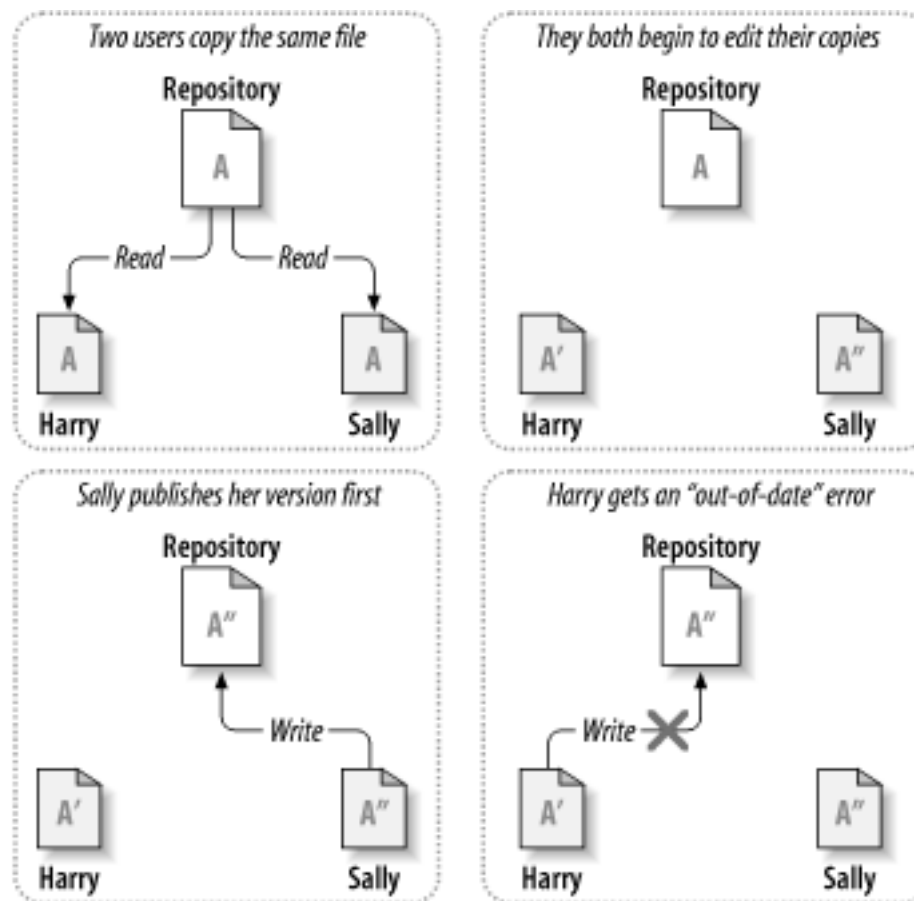
Version control systems: CVS, Subversion



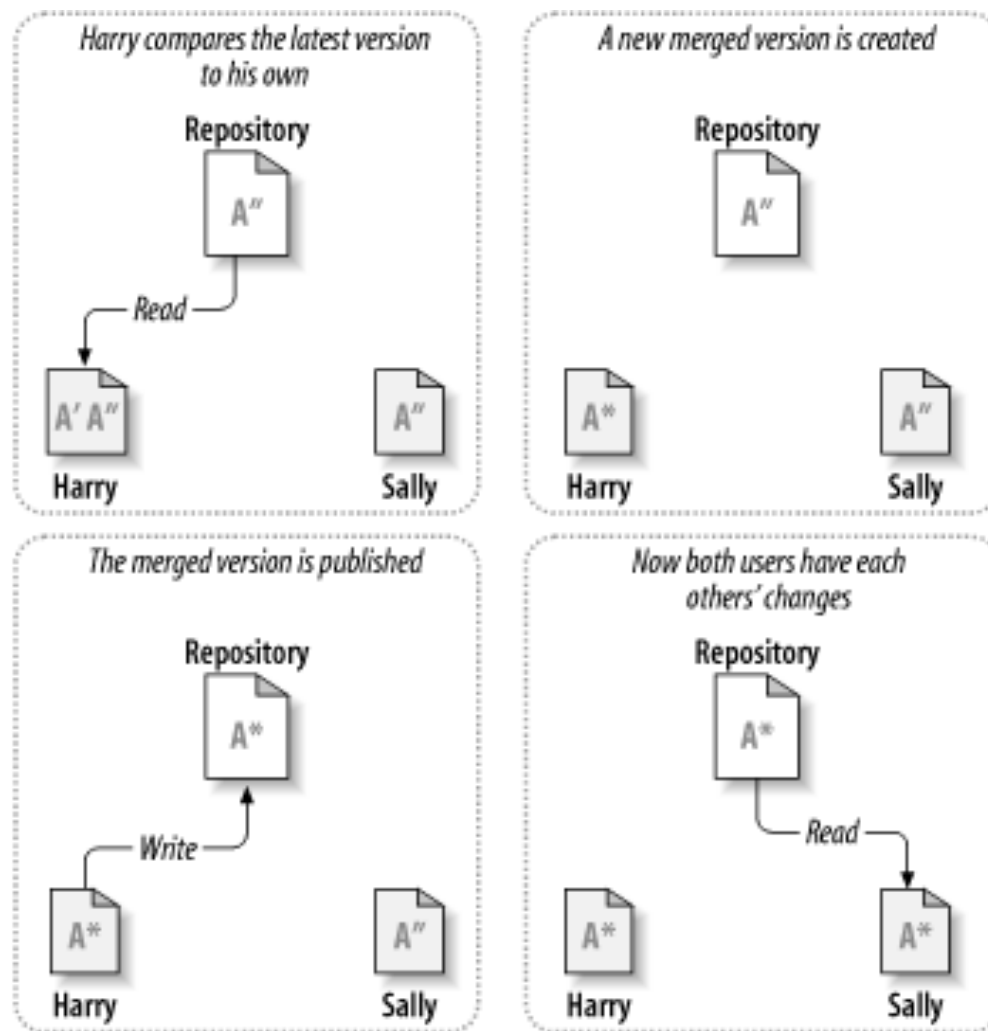
Lock-modify-unlock solution



Copy-modify-merge solution



Copy-modify-merge solution



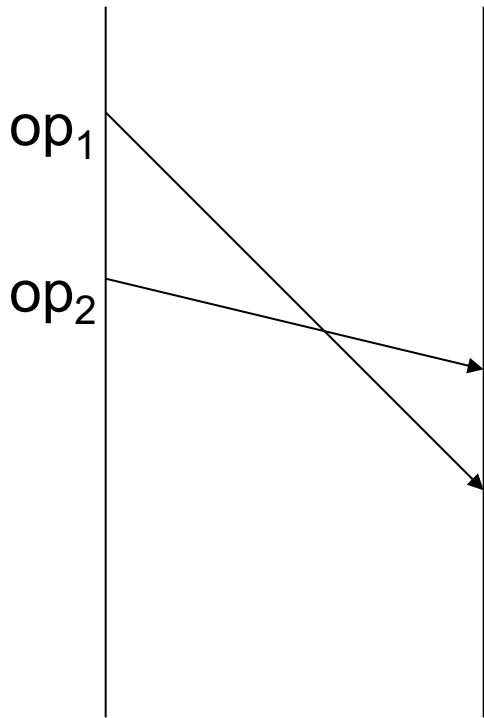
Duplicated databases (Thomas Write Rule 1975) (*)

- Model
 - A set of independent DBMPs
 - Each DBMP has its own copy of the database
 - DBMPs communicate via messages
 - Communications are subject to failures
 - Messages between two sites are delivered in the same order they were sent
 - No use of global timestamps
- The system is correct if it eventually converges

(*) P. Johnson and R. Thomas. RFC677 : The maintenance of duplicate databases, 1975.

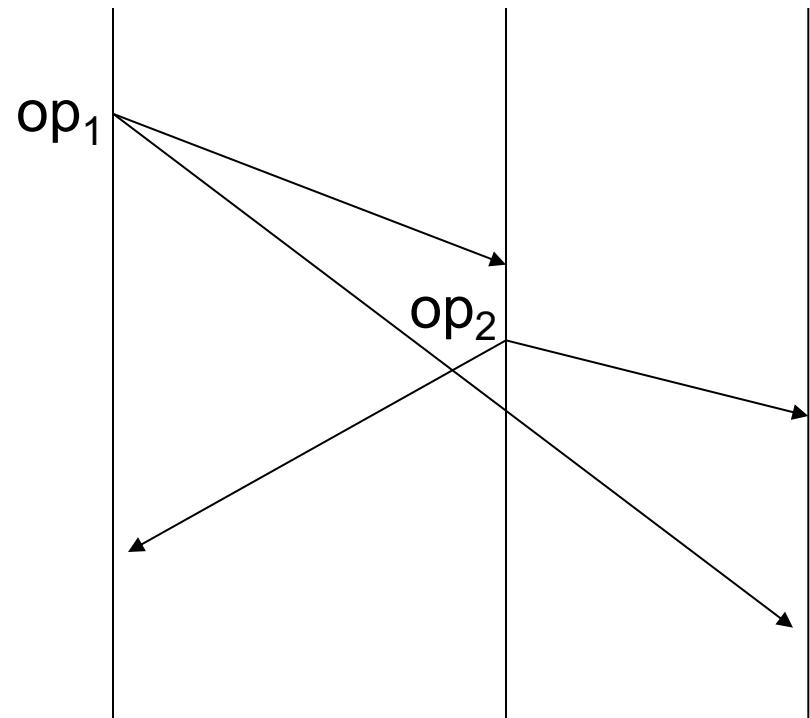
Duplicated databases (Thomas Write Rule 1975)

DBMP₁ DBMP₂



Not possible

DBMP₁ DBMP₂ DBMP₃

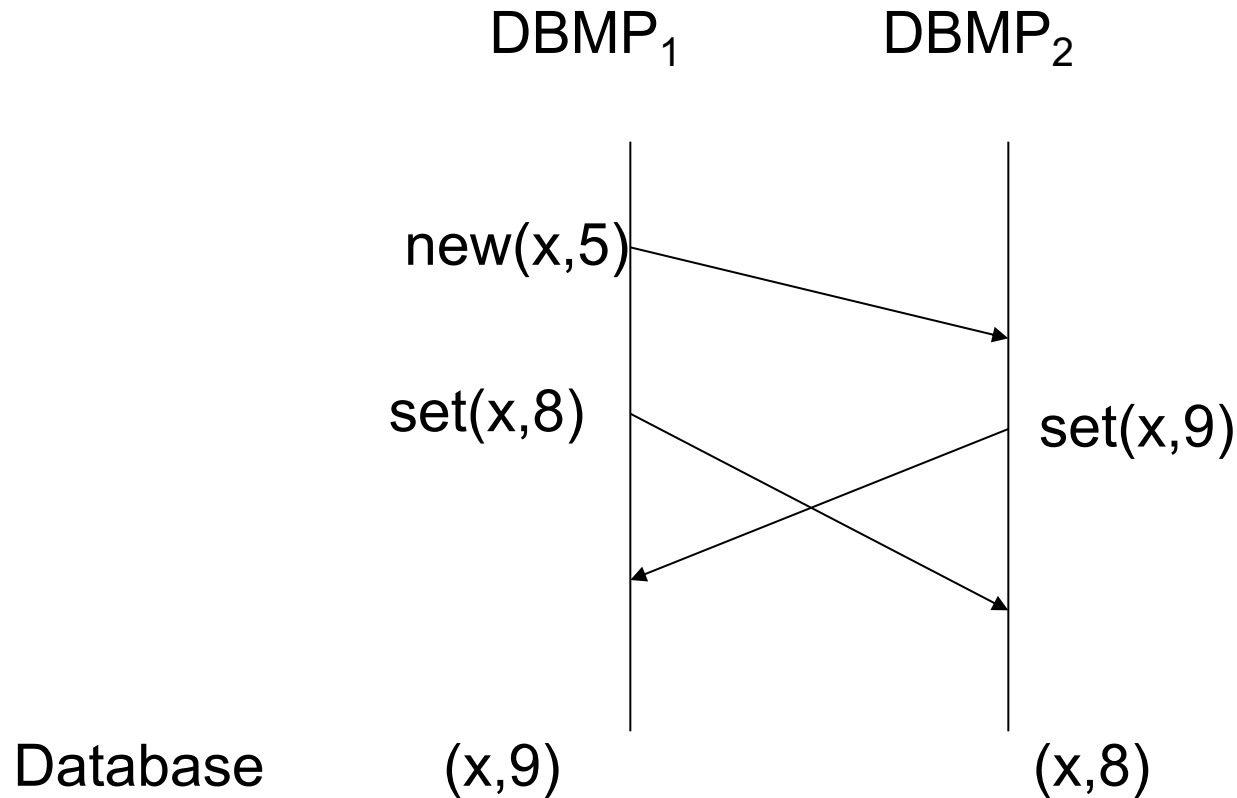


Possible

Duplicated databases (Thomas Write Rule 1975)

- The database = collection of (selector,value) pairs
- Operations:
 - Selection:
 - get(selector) returns the current associated value
 - Assignment:
 - set(selector, new_value) replaces associated value with new_value
 - Creation:
 - new(selector, initial_value) adds (selector, initial_value) entry
 - Deletion:
 - delete(selector, value) deletes existing (selector, value) pair

Duplicated databases (Thomas Write Rule 1975)



- How to guarantee that copies are consistent?

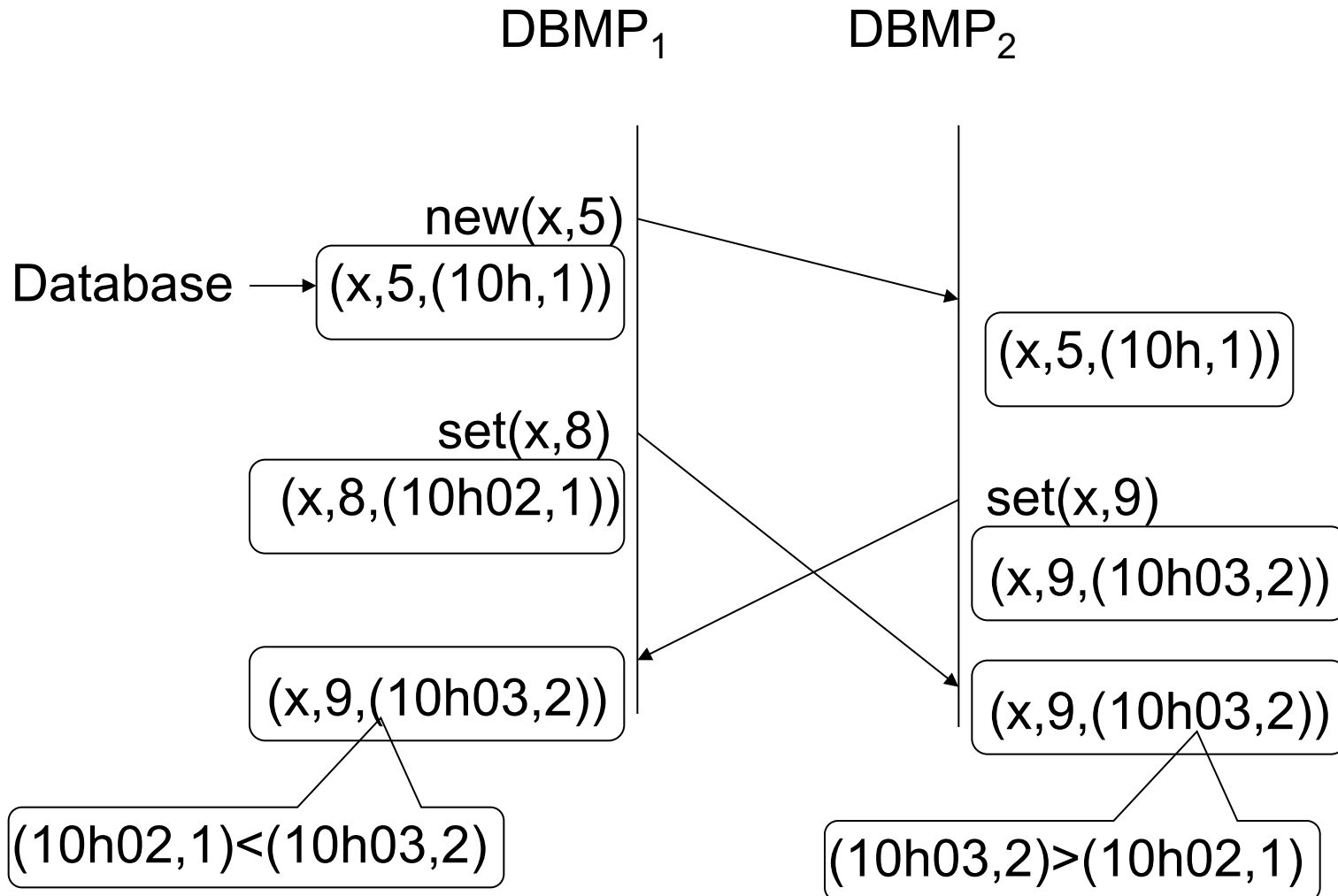
Thomas Timestamps

- In the face of concurrent modifications to an entry, how to select the « most recent » change?
- Thomas timestamps before Lamport timestamps !
- A timestamp is a pair (T,D)
 - T is a network time standard (time-of-day)
 - D is a DBMP identifier
- Timestamps comparison
 - $(T1,D1) > (T2,D2)$ iff $(T1 > T2)$ or $(T1 = T2 \text{ and } D1 > D2)$
- If $D1 = D2$ and $T1 = T2$, then the same operation

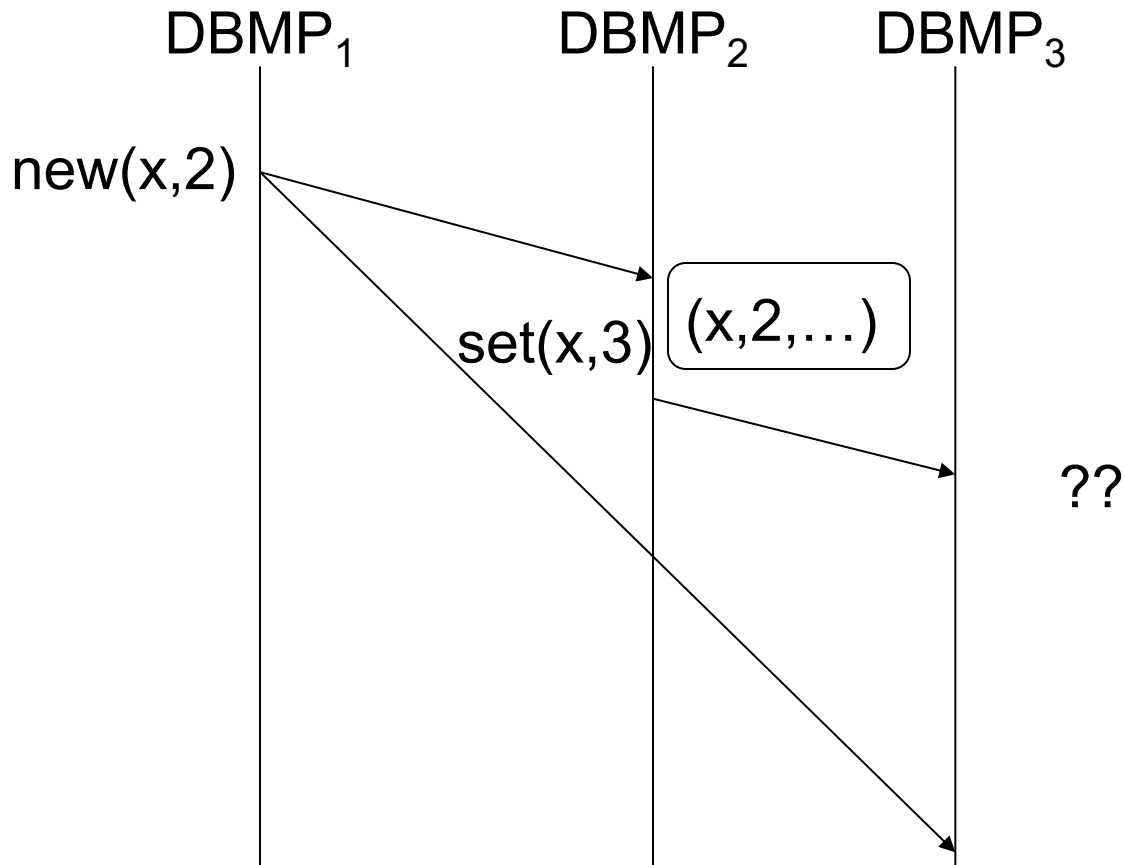
Database entry

- $E ::= (S, V, T)$
 - S is the selector
 - V is the value
 - T is the timestamp = (Time, DBMP id) of the last change to the entry

Thomas write rule = last writer wins

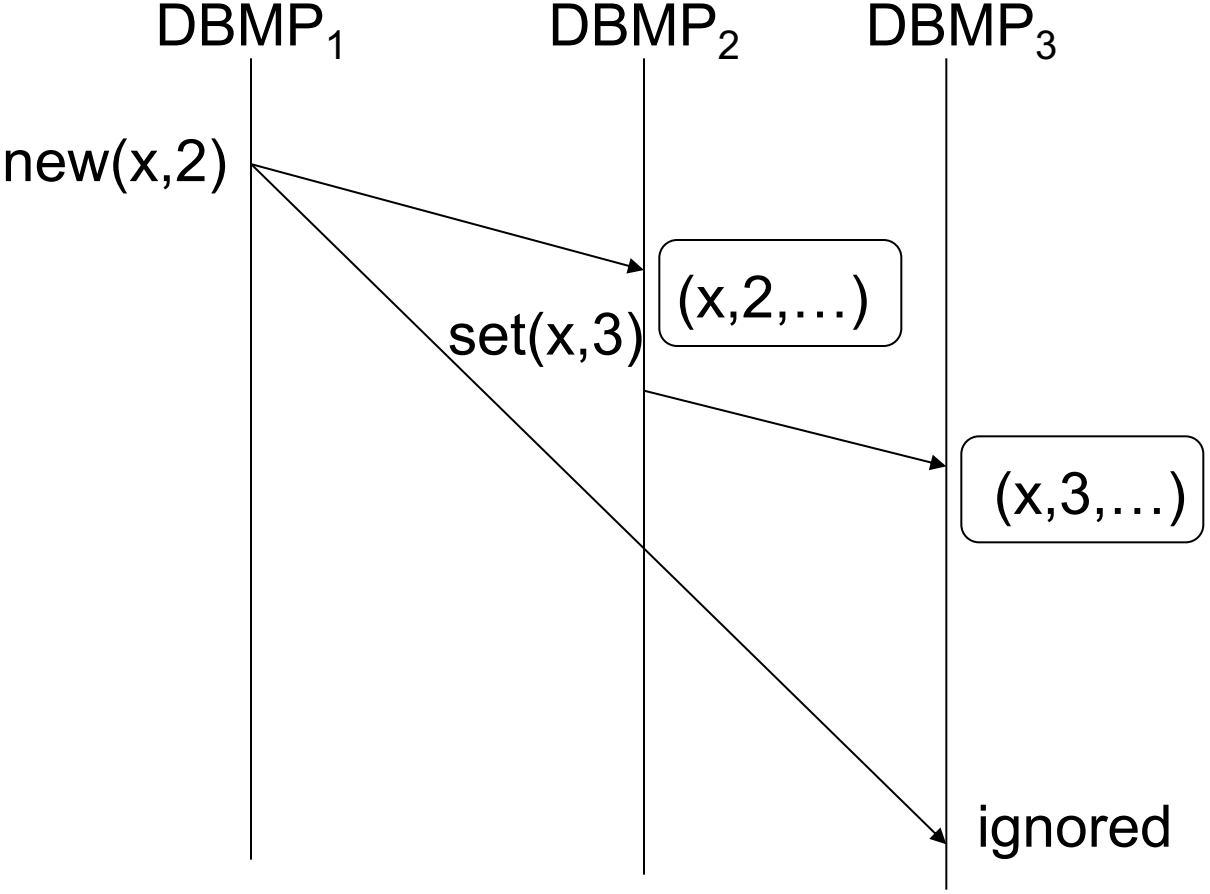


Creation/update

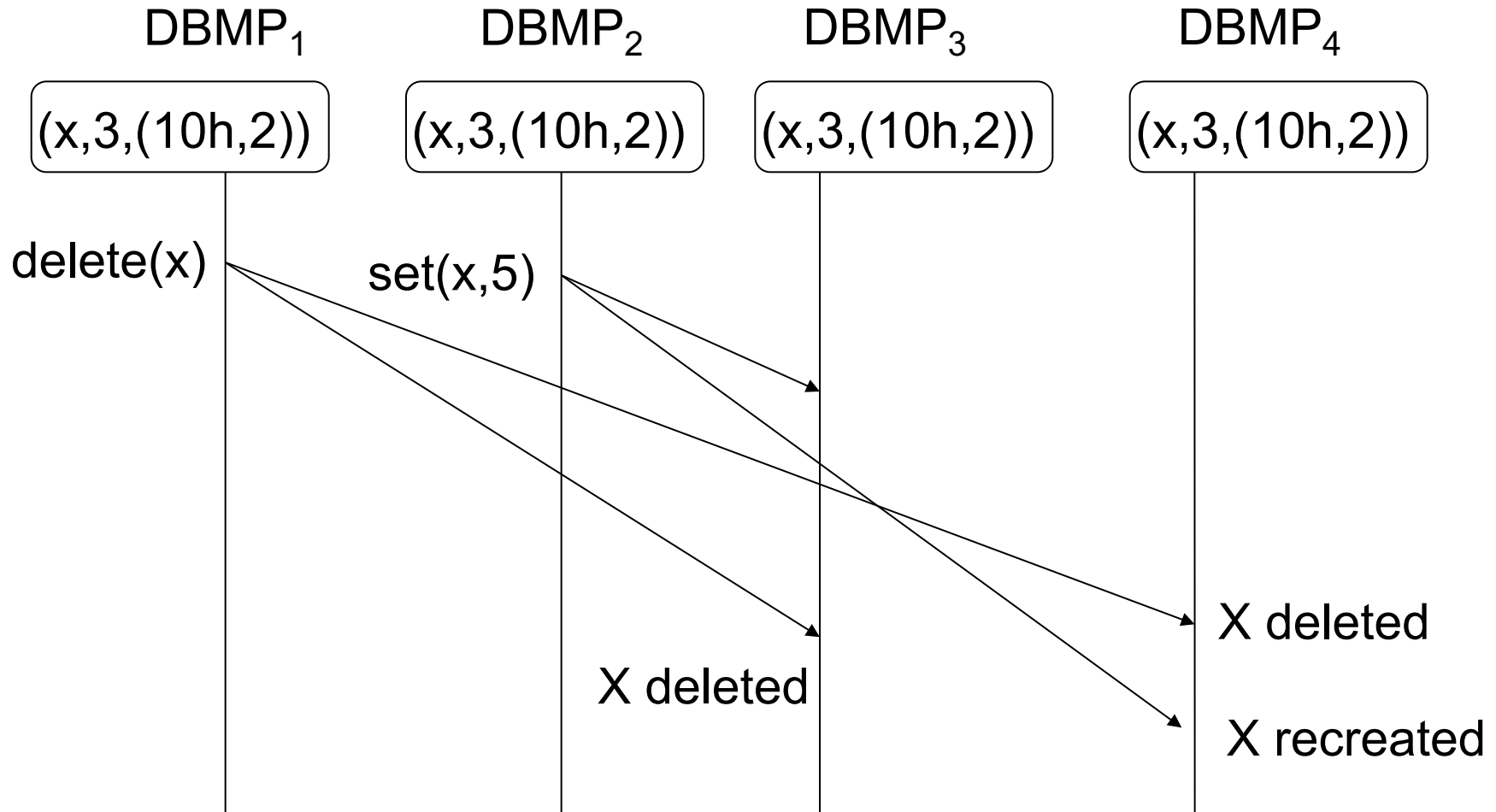


- Assume the creation will arrive and create the entry right away
- Creation operation ignored at arrival

Creation/update



Deletion

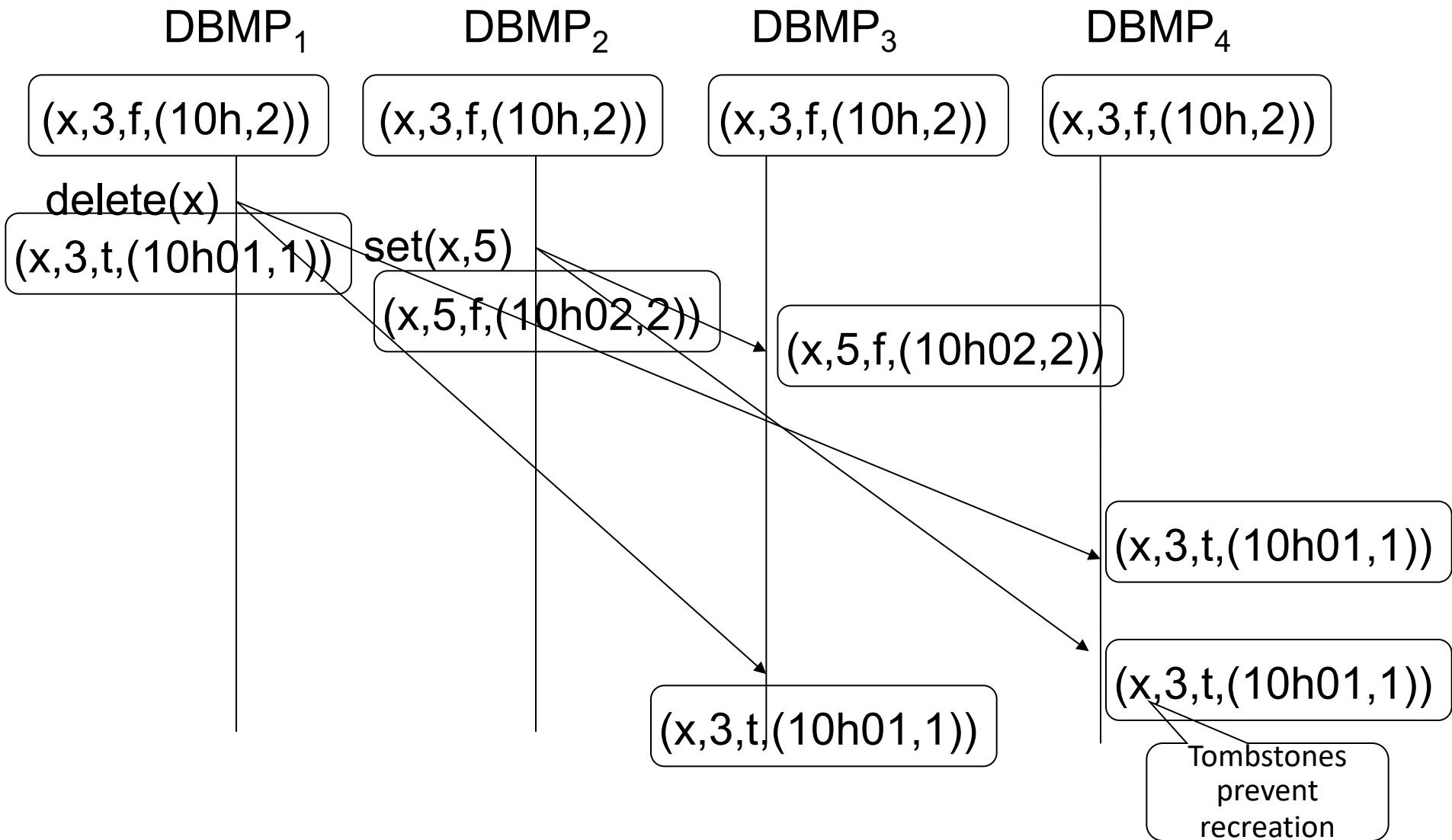


- Solution: never remove an entry, mark « deleted » flag

Tombstones

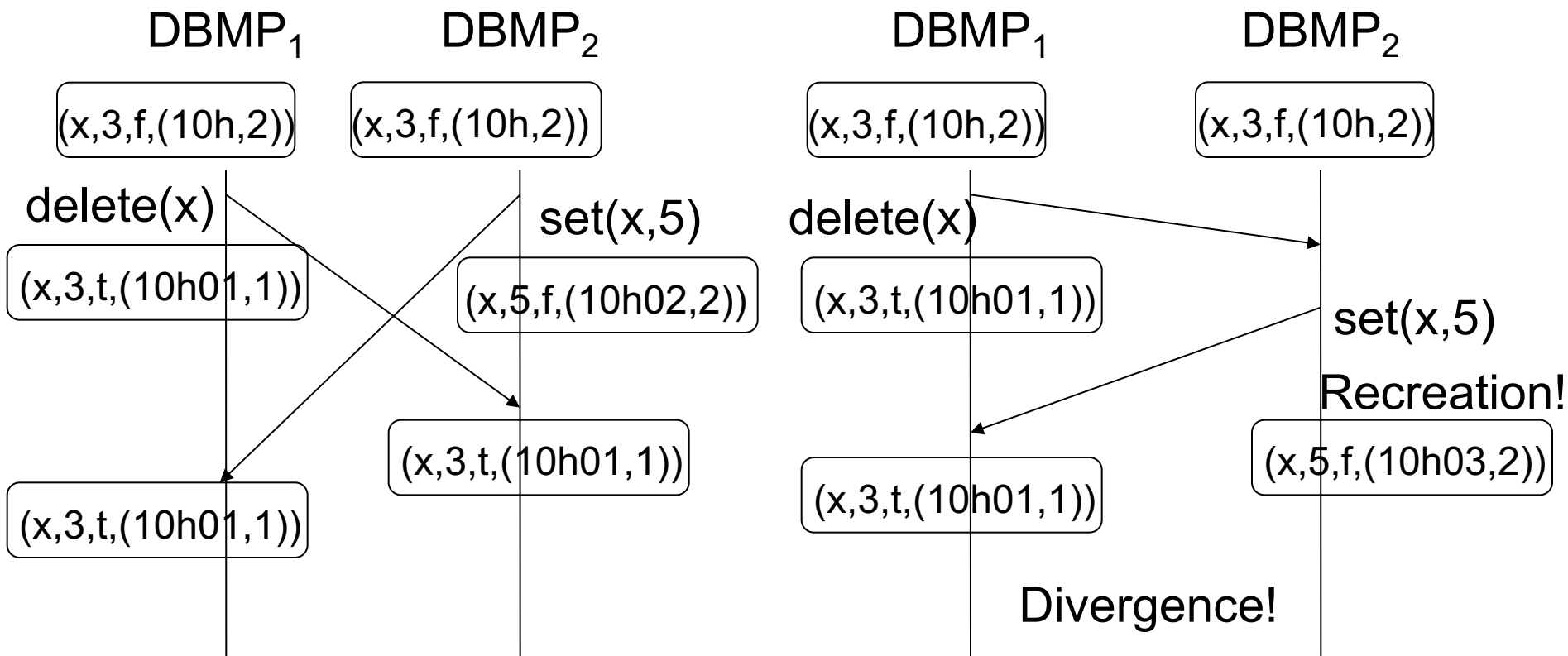
- $E ::= (S, V, F, T)$
 - S is the selector
 - V is the value
 - F is the deleted/not-deleted flag
 - T is the timestamp = (Time, DBMP id) of the last change to the entry
- $F = t$ if deleted
- $F = f$ if not-deleted

Tombstones



Tombstones

- DBMP1 cannot distinguish in which of the two cases DBMP2 is

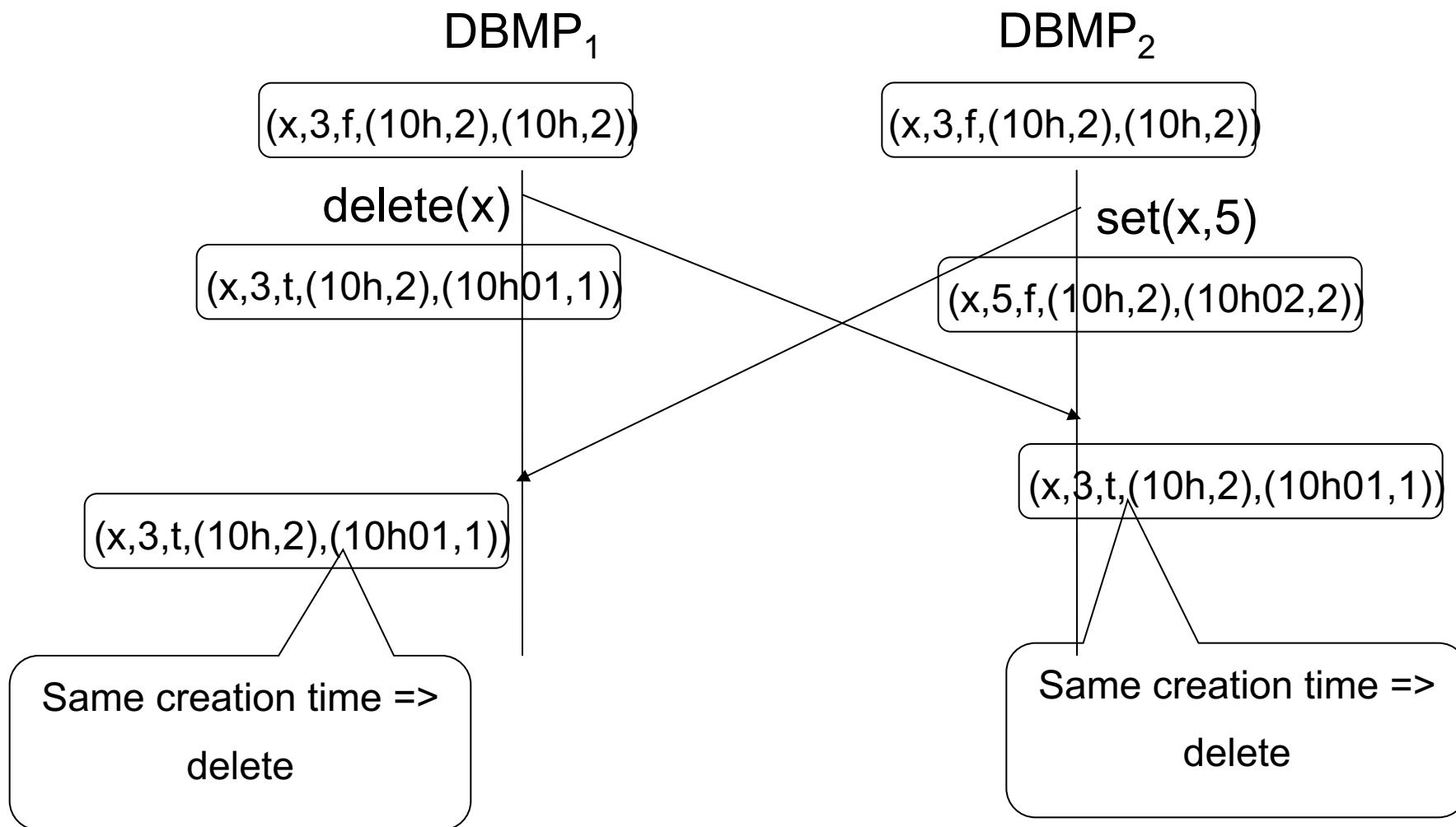


- Solution: Associate to an entry the creation timestamp

Tombstones

- $E ::= (S, V, F, CT, T)$
 - S is the selector
 - V is the value
 - F is the deleted/not-deleted flag
 - CT is the timestamp for creation
 - T is the timestamp = (Time, DBMP id) of the last change to the entry
- If $F=f$ and $CT=T$, then creation
- If $F=f$ and $CT < T$, then assignment
- If $F=t$, then deletion

Tombstones



Tombstones

